

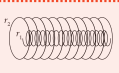
$L = \mu_0 n^2 \pi r^2 l$
 $n =$ no. of turns per unit length
 $\phi =$ flux $= (\mu_0 n i) \pi r^2$
 $r =$ radius of each loop of solenoid

- Growth of current in LR Circuit
 $i = \frac{E}{R} (1 - e^{-Rt/L}) = i_0 (1 - e^{-Rt/L})$
- Decay of current
 $i = i_0 e^{-Rt/L}$
- Energy stored in an Inductor
 $U = \frac{1}{2} L i^2$

Whenever flux of magnetic field through the area bounded by a closed conducting loop changes, an emf is produced in the loop. The emf is given by $E = -d\phi/dt$ where $\phi = \int \vec{B} \cdot d\vec{s}$ is the flux of the magnetic field through the area.

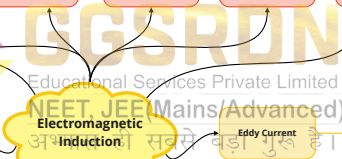
If a solenoid of N turns, the flux through each each turn $= \phi = \int \vec{B} \cdot d\vec{s}$
 emf induced between the ends of coil $= E = -N \frac{d}{dt} \int \vec{B} \cdot d\vec{s}$

$\phi = M i$
 $\frac{d\phi}{dt} = -M \frac{di}{dt}$
 $M_{12} = \mu_0 n_1 n_2 \pi r_1^2 l$
 $M_{21} = \mu_0 n_1 n_2 \pi r_2^2 l$
 Emf induced in an AC generator, $E = NBA \omega \sin \omega t$



In 1831, Michael Faraday discovered electromagnetic induction and James Clerk Maxwell mathematically described it.

The direction of the induced current is such that it opposes the changes that has induced it.



$I = \frac{E}{R} = -\frac{1}{R} \frac{d\phi}{dt}$

Induced current

Electromagnetic Induction

Eddy Current

It is induced when magnetic flux linked with the conductor changes

Induced EMF


$E = \frac{d\phi}{dt}$

Rectangular loop



Motional EMF


$E = \left| \frac{d\phi}{dt} \right| = B \left| \frac{dx}{dt} \right| = Bv$
 $i = vbl / (R+r)$



$r =$ resistance of rod moving with velocity v in uniform magnetic field \vec{B}

EMF induced in a rotating conductor

$E = \frac{1}{2} B \omega l^2$



emf induced
 $E = vBl$
 $i = \frac{vBl}{R}$

Magnetic force on the loop:
 $F = B^2 l^2 v / R$
 $=$ force required to move the loop with constant velocity (v)

Thermal power developed in the loop is
 $P = \frac{v^2 B^2 l^2}{R}$